

# **PROTOCOL COMPOSITION 1: RSA**

TTM4205 - Lecture 15

Tjerand Silde

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#### **Contents**

**MEGA E2EE Cloud Storage** 

**Malleable Encryption Goes Awry** 

**Cryptanalyzing MEGA in Six Queries** 

**Caveat Implementor!** 

**Telegram** 



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### **MEGA E2EE Cloud Storage**





#### Online privacy for everyone

Privacy is not an option with MEGA, it's standard. That's because we believe that everyone should be able to store data and communicate securely and privately online.













#### **MEGA E2EE Cloud Storage**

- ► The user encrypt all files locally
- It upload ciphertexts to the cloud
- File-keys are encrypted under master-key
- Master-key is encrypted under password
- ► The user can log in from anywhere
- The user must sign a challenge on log-in

This is initially a secure infrastructure, but we will see that 1) the choice of ciphers, 2) how they are composed, 3) the lack of integrity checks, 4) custom padding, 5) key-reuse, and 6) server-chosen plaintexts breaks the security.

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# MEGA: Malleable Encryption Goes Awry

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Figure: https://eprint.iacr.org/2022/959.pdf



# **MEGA: MALLEABLE ENCRYPTION GOES AWRY**

MEGA is a leading cloud storage platform with more than 250 million users and 1000 Petabytes of stored data, which aims to achieve user-controlled end-to-end encryption. We show that MEGA's system does not protect its users against a malicious server and present five distinct attacks, which together allow for a full compromise of the confidentiality of user files. Additionally, the integrity of user data is damaged to the extent that an attacker can insert malicious files of their choice which pass all authenticity checks of the client. We built proof-of-concept versions of all the attacks, showcasing their practicality and exploitability.

Figure: https://mega-awry.io





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MEGA - Malleable Encryption Goes Awry: I'm excited to share details of some new research on the security of @MEGAprivacy. Details at: mega-awry.io (1/28)

11:00 PM · Jun 21, 2022

Figure: https://twitter.com/kennyog/status/1539352663770509314

#### **Attacks**





#### RSA Key Recovery Attack

MEGA can recover a user's RSA private key by maliciously tampering with 512 login attempts.



#### Plaintext Recovery

MEGA can decrypt other key material, such as node keys, and use them to decrypt all user communication and files.



#### Framing Attack

MEGA can insert arbitrary files into the user's file storage which are indistinguishable from genuinely uploaded ones.



#### **Integrity Attack**

The impact of this attack is the same as that of the framing attack, trading off less stealthiness for easier pre-requisites.



#### GaP-Bleichenbacher Attack

MEGA can decrypt RSA ciphertexts using an expensive padding oracle attack.





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- ▶ the client is also given  $[m]_{pk_{share}}$  at log-in
- ▶ *m* is a randomly sampled 43 B session ID

The master secret key is encoded in the following way:

$$\mathsf{sk}_{\mathsf{share}}^{\mathsf{encoded}} \leftarrow \mathit{I}(q)||q||\mathit{I}(p)||p||\mathit{I}(d)||d||\mathit{I}(u)||u||P$$

where  $I(\cdot)$  is a length function, q and p are 1024-bit primes, d is the secret RSA exponent,  $u=q^{-1} \mod p$  and P is padding.

The following happens when the client log in:

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- ightharpoonup The client sends m to the server which accepts/rejects
- ► The server sends all encrypted files to client if accept

```
\overline{\mathsf{DecSid}}([sk_{\mathsf{share}}^{encoded}]_{k_M}, [m]_{pk_{\mathsf{share}}}):
     Given: encrypted RSA private key [sk_{share}^{encoded}]_{k_M}, encrypted
     message [m]_{pk_{chara}}
     Returns: decrypted and unpadded SID sid'
 1 sk_{share}^{encoded} \leftarrow AES-ECB.Dec(k_M, [sk_{share}^{encoded}]_{k_M})
 2 N, e, d, p, q, d_p, d_q, u \leftarrow \mathsf{DecodeRsaKey}(sk_{\mathrm{share}}^{\mathit{encoded}})
 з m_p' \leftarrow ([m]_{pk_{share}})^{d_p} \bmod p
 4 \ m'_a \leftarrow ([m]_{pk_{share}})^{d_q} \bmod q
 5 t \leftarrow m_p' - m_q' \mod p
 6 h \leftarrow t \cdot u \mod p
 7 m' \leftarrow h \cdot q + m'_q
 sid' \leftarrow m'[3:45]// Unpad 43 B SID.
 9 return sid'
```

Fig. 5. SID decryption during MEGA's client authentication using RSA.



We can break the system in the following way:

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- lacktriangle decrypt all files that the client stored under  $[sk_{pk_{AES}}]_{pk_{share}}$

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- ► Remove the 211 rightmost bytes
- ▶ Then the returned sid =  $m[3:45] \neq 0$

This means that we learn 1 bit of information each time, and can use a binary search between  $[2^{1023}, 2^{1024})$  to find q in at most 1023 queries i.e. learn one bit each time the client tries to log in.

Using an improved lattice-attack similar to the attack on ECDSA allowed for a reduction to 512 queries total, drastically reducing the number of times a client needs to log in to be vulnerable.

#### **Other Attacks**

The re-use of keys also allowed for decryption oracles, the custom RSA padding P allowed for Bleichenbacher attacks, lack of integrity checks allowed for uploading malicious material, and more.

They added HMAC checks, updated padding and updated the key-hierarchy after this work, but claimed that 512 log-in attempts was too much for this to be a realistic attack...

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# The Hidden Number Problem with Small Unknown Multipliers: Cryptanalyzing MEGA in Six Queries and Other Applications

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Figure: https://eprint.iacr.org/2022/914.pdf



We actually learn more than 1 bit per query. The sid is of size 43 bytes, and it leaks much more information across the different queries. With a lot of pre-processing, it was shown that we can recover q in only 6 queries (!). The lattice-attack achieving this is out of scope for this lecture.

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#### Caveat Implementor! Key Recovery Attacks on MEGA

Martin R. Albrecht<sup>1</sup>, Miro Haller<sup>2</sup>, Lenka Mareková<sup>3</sup>, and Kenneth G. Paterson<sup>2</sup>

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<sup>2</sup> Applied Cryptography Group, ETH Zurich kenny.paterson@inf.ethz.ch, miro.haller@ethz.ch
<sup>3</sup> Information Security Group, Royal Holloway, University of London
lenka marekova, 2018@rhul ac.uk

Figure: https://eprint.iacr.org/2023/329.pdf



# Caveat Implementor! Key Recovery Attacks on MEGA

MEGA is a large-scale cloud storage and communication platform that aims to provide end-to-end encryption for stored data. Recent work by Backendal, Haller and Paterson invalidated these security claims by showing practical attacks against MEGA that could be mounted by the MEGA service provider. In response, the MEGA developers added lightweight sanity checks on the user RSA private keys used in MEGA, sufficient to prevent the previous attacks. We analysed these new sanity checks and show how they themselves could be exploited to mount novel attacks on MEGA that recover a target user's RSA private key with only slightly higher attack complexity than the original attacks.

Figure: https://mega-caveat.github.io





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In a new paper, @martinralbrecht, @M\_Haller, Lenka Mareková, and I took a fresh look at @MEGAprivacy. TL;DR: we broke the fixed version with attacks that can recover user RSA private keys and file keys. Paper and more at: mega-caveat.github.io (1/16)

Figure: https://twitter.com/kennyog/status/1632718211476078592



They came up with the following new attacks:

▶ Reducing the original attack from 512 to 2 queries



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- Exploiting re-encryption with adversarial keys
- Error messages that reveal more information
- Still using AES-ECB because it is "cheaper"
- Key-overwriting attacks from lacking integrity

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#### Four Attacks and a Proof for Telegram\*

Martin R. Albrecht<sup>1</sup>, Lenka Mareková<sup>2</sup>, Kenneth G. Paterson<sup>3</sup>, and Igors Stepanovs<sup>3</sup>

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<sup>3</sup> Applied Cryptography Group, ETH Zurich {kenny.paterson,istepanovs}@inf.ethz.ch

31 March 2023

Figure: https://eprint.iacr.org/2023/469.pdf



#### **MTProto**

The MTProto protocol is not well-studied:

2013: Telegram launched with MTProto 1.0.

**2016: Jakobsen** and **Orlandi** showed that <u>MTProto 1.0 is not CCA-secure</u>.

2017: Telegram released MTProto 2.0 that addressed the security concerns.

2017: Sušánka and Kokeš reported an attack based on improper validation in the Android client.

**2018: Kobeissi** reported <u>input validation bugs in Telegram's Windows Phone client</u>.

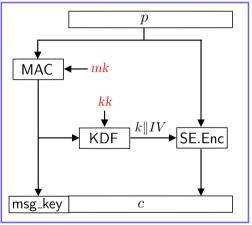
2020: Miculan and Vitacolonna proved MTProto 2.0 secure in a symbolic model, assuming ideal building blocks.

Figure: https://iacr.org/submit/files/slides/2022/rwc/rwc2022/60/slides.pdf



# MTProtoEncrypt

#### MTPROTO.ENCRYPT



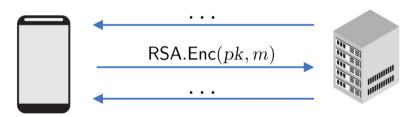
### **MTProtoEncrypt**

# supplied by attacker

- If (msg\_length > length) then ... // Android
  Outcome of comparison depends on 32 bits on msg\_length.
  If comparison fails: two conditional jumps added.
- If  $(msg\_length > 2^{24})$  then ...  $/\!\!/$  **Desktop** Outcome of comparison depends on 8 bits on  $msg\_length$ . If comparison fails: MAC verification is omitted.
- If not  $(12 \le \ell \mathsf{msg\_length} \le 1024)$  then . . . // **iOS** Outcome of comparison depends on 32 bits on msg\_length. If comparison fails: MAC verification takes a shorter input.

# **MTProtoEncrypt**

We attack **Telegram**'s key exchange.



Telegram uses textbook RSA encryption.

 $m := \mathsf{SHA-1}(\mathsf{data}) \| \mathsf{data} \| \mathsf{padding} \|$ 

#### **Four Attacks**

- Message reordering (lack of metadata authentication)
- Re-encryption of dropped messages lead to CPA attacks
- ► Timing attack against encrypt and mac using AES-IGE
- RSA padding oracle using textbook RSA with SHA-1



#### **Future Work**

#### Large parts of **Telegram**'s design remain <u>unstudied</u>:

Secret chats (including encrypted voice and video calls).

The key exchange.

Multi-user security.

Forward secrecy.

Telegram Passport.

Bot APIs.

The higher-level message processing.

Control messages.

Encrypted CDNs.

Cloud storage.

These are pressing topics for future work.



# Questions?

